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978-1-107-68949-7 - Optimal Transportation: Theory and Applications

Edited by Yann Ollivier, Hervé Pajot And Cédric Villani

Table of Contents

[More information](#)

Contents

| | |
|---|----------|
| <i>List of contributors</i> | page vii |
| <i>Preface</i> | ix |
| PART 1: SHORT COURSES | |
| 1 Introduction to optimal transport theory | 3 |
| <i>Filippo Santambrogio</i> | |
| 2 Models and applications of optimal transport in economics, traffic, and urban planning | 22 |
| <i>Filippo Santambrogio</i> | |
| 3 Logarithmic Sobolev inequality for diffusion semigroups | 41 |
| <i>Ivan Gentil</i> | |
| 4 Lecture notes on variational models for incompressible Euler equations | 58 |
| <i>Luigi Ambrosio and Alessio Figalli</i> | |
| 5 Ricci flow: the foundations via optimal transportation | 72 |
| <i>Peter Topping</i> | |
| 6 Lecture notes on gradient flows and optimal transport | 100 |
| <i>Sara Daneri and Giuseppe Savaré</i> | |
| 7 Ricci curvature, entropy, and optimal transport | 145 |
| <i>Shin-ichi Ohta</i> | |
| PART 2: SURVEYS AND RESEARCH PAPERS | |
| 8 Computing a mass transport problem with a least-squares method | 203 |
| <i>Olivier Besson, Martine Picq, and Jérôme Poussin</i> | |

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Table of Contents

[More information](#)

vi

Contents

- | | | |
|-----------|--|-----|
| 9 | On the duality theory for the Monge–Kantorovich transport problem | 216 |
| | <i>Mathias Beiglböck, Christian Léonard, and Walter Schachermayer</i> | |
| 10 | Optimal coupling for mean field limits | 266 |
| | <i>François Bolley</i> | |
| 11 | Functional inequalities via Lyapunov conditions | 274 |
| | <i>Patrick Cattiaux and Arnaud Guillin</i> | |
| 12 | Size of the medial axis and stability of Federer’s curvature measures | 288 |
| | <i>Quentin Mérigot</i> | |