

## INDEX

NOTE. The terms "analytic semigroup", "Banach algebra", "bounded approximate identity", and "semigroup" occur so frequently they are not covered in the index except for the first occurrence.

The most important page number is underlined>.

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Cambridge University Press

978-0-521-28598-8 - Continuous Semigroups in Banach Algebras

Allan M. Sinclair

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Cambridge University Press

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