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	[inverse path], 8
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$(\text{-})^n$	[Cartesian power], xv
$^n(\text{-})$	[column vectors], 149
$\lvert - \rvert$	[cardinal], xv
	[modulus], 23, 202
$\lVert - \rVert$	[norm of matrix], 202
	[norm of patterned surface], 248
	[norm of track], 234
$\lvert - \rvert$	[polyhedron of simplicial complex], 216
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	[dual edge], 52, 67, 125
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$- *_{-}$	[free product], 14
	[special HNN extension], 14
$- \backslash -, - / -$	[quotient set], 3
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$\leqslant$	[for patterns, patterned surfaces], 235, 247
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	[set of all functions], 47
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