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978-0-521-10336-7 - Time-Series Analysis: A Comprehensive Introduction for Social Scientists

John M. Gottman

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