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CORRIGENDA

Page 66 (lines 13 and 16): FOR $Y - f(x)$ READ $Z - f(x)$

Page 66 (line 14): FOR image of X READ image of βX

Page 67 (line 17): FOR rings of sets READ strong delta normal bases

Page 68 (line 21): DELETE if and

Page 68 (line 23): FOR $\text{cl}_{\nu X} S$ READ $\text{cl}_{\nu Y} S$

Page 147 (4th line from foot): FOR For every f is READ For every f in